

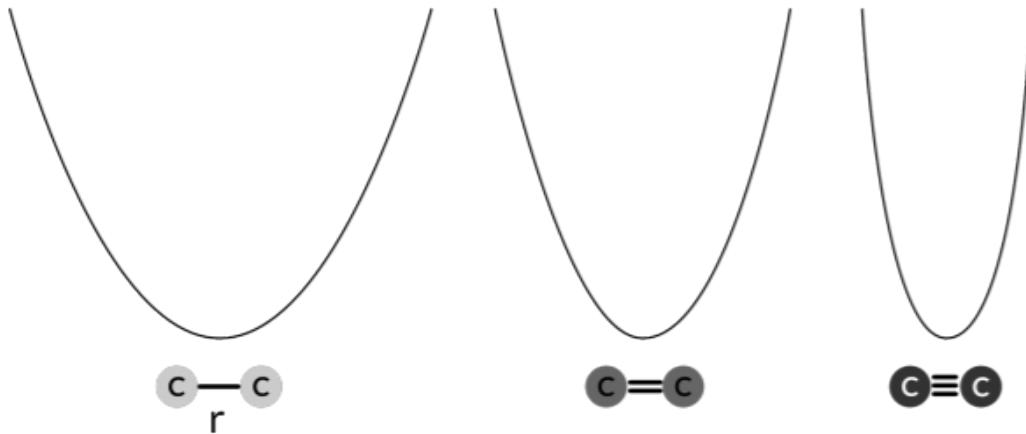
# Intro Force Fields (FF)

A FF provides potential energy,  $E(x)$ , for a given molecular structure ( $x$ ) via parametrized, analytical functions

$$E_{\text{FF}} = E_{\text{bond}} + E_{\text{angle}} + E_{\text{dihedral}} + E_{\text{electrostatic}} + E_{\text{v.d.Waals}}$$

## Example

Bonding energy via harmonic potentials  $E_{\text{bond}} = k (r - r_{\text{eq}})^2$



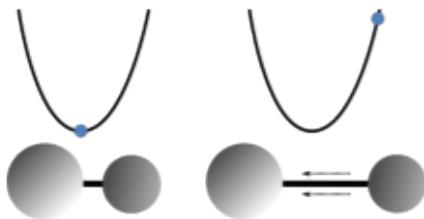
Parameters:  $k, r_{\text{eq}}$  per atomtype

Atomtypes:  $\neq$   $\neq$

(CC<sub>single</sub>, CC<sub>double</sub>, CO<sub>single</sub>, CO<sub>double</sub>, etc...)

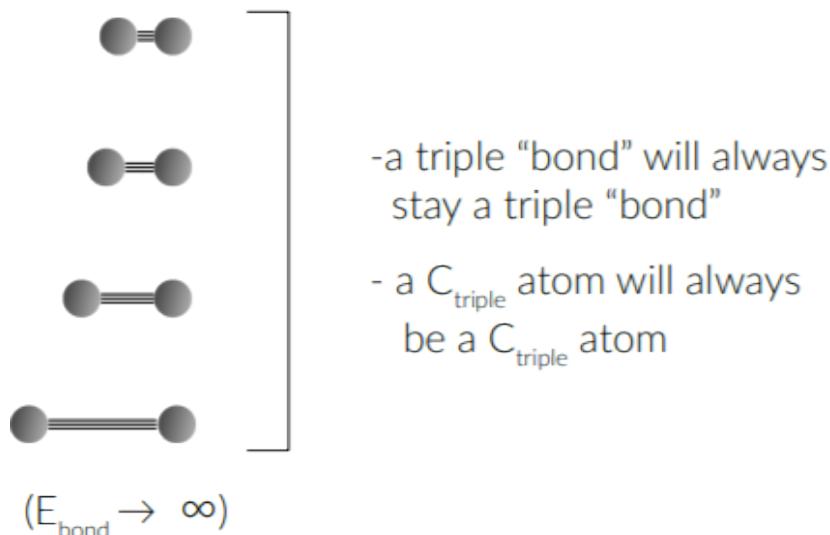
# Classical Force Fields vs. ReaxFF

## Classical Force Fields

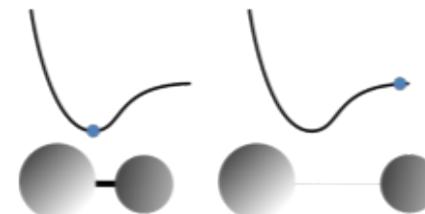


Fixed atomtypes and harmonic potentials:  
bond breaking impossible, e.g.

$$E_{\text{bond}} \propto (\text{distance})^2$$

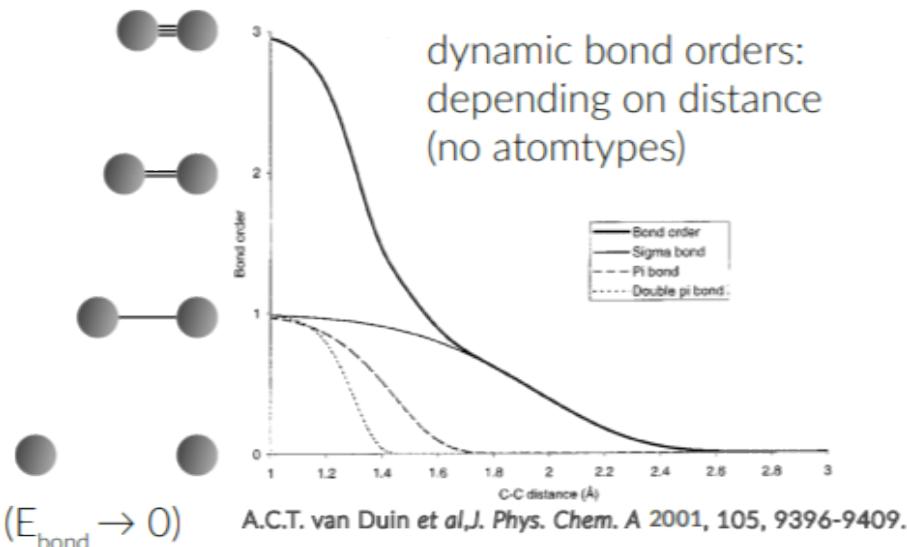


## ReaxFF (Reactive Force Field)



Non-harmonic potentials based on bond orders:  
bond breaking/forming possible, e.g.

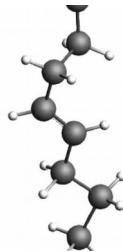
$$E_{\text{bond}} \propto -( \text{bond order} ) \times \exp[ (1 - \text{bond order}) ]$$



# Intro to Molecular Dynamics (MD)

## What is simulated?

Simulate movement of atoms



## Why?

Predict many properties, e.g.

- Thermodynamics
- Kinetics
- Mechanical properties
- much more...



**Ludwig Boltzmann**

Founded *statistical mechanics* which allow us to explain macroscopic behaviour from ensembles of microscopic entities.

## How?

By numerically solving Newton's equation of motion

$$F = ma = m \left( \frac{d^2 x}{dt^2} \right) \quad F = - \left( \frac{dV}{dx} \right)$$

e.g. with classic Verlet algorithm

$$x_{i+1} = 2x_i - x_{i-1} + \frac{(\Delta t)^2}{m} F_i$$

$x_i$ : Current position

$x_{i-1}$ : Previous position

$x_{i+1}$ : Future position

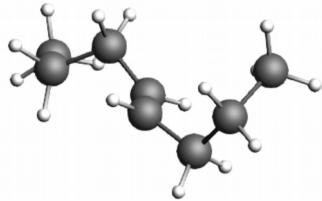
$\Delta t$ : Time step ( $t_{i+1} - t_i$ )

$F_i$ : Force acting on particle at position  $x_i$

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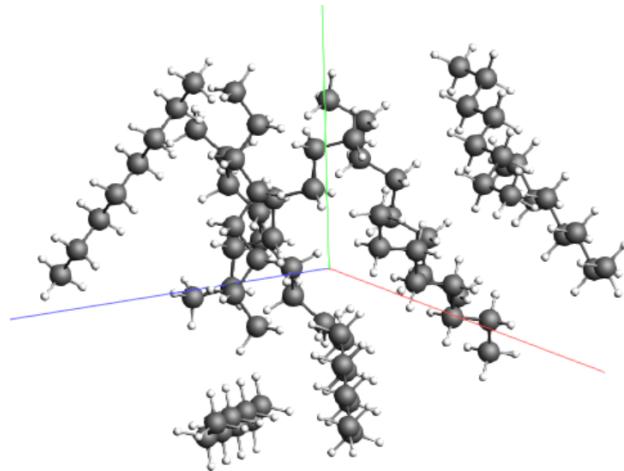
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- User input**
  - $x_i$ : Current position
  - $x_{i-1}$ : Previous position
  - $x_{i+1}$ : Future position
- AMS engine (e.g. ReaxFF)**
  - $\Delta t$ : Time step ( $t_{i+1} - t_i$ )
  - $F_i$ : Force acting on particle at position  $x_i$

**MD simulations require initial conditions to start.**

# Minimal MD setup



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Demo