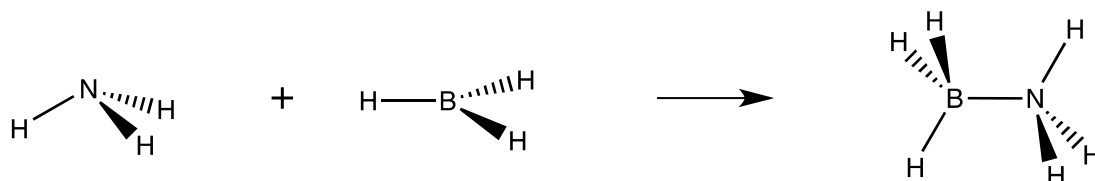


Hands-On Energy Decomposition Analysis (EDA)

Energy decomposition analysis and MO interaction diagrams.

1. Fragments

In this exercise we want to understand the donor-acceptor interactions between NH_3 and BH_3 :

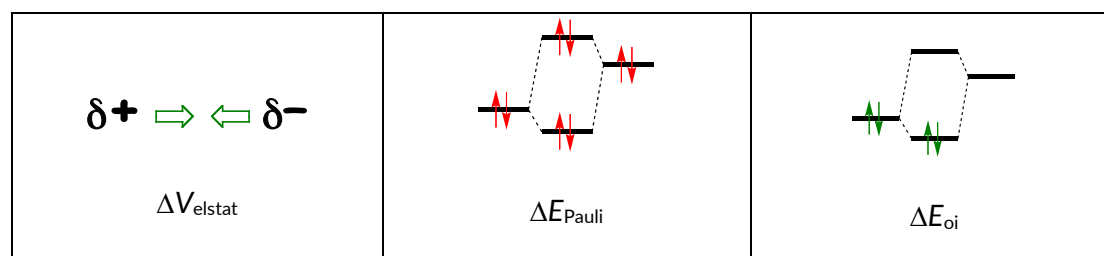


Before starting to analyze the interaction you have to get acquainted to the fragments. **Optimize the structures of NH_3 and BH_3 at the BP/TZ2P level of theory and analyze the HOMO and LUMO of the two molecules.** Use ADFview to view the orbitals of the HOMO and LUMO of both molecules. Rationalize which donor-acceptor interactions will be possible and write down the total energy of NH_3 and BH_3 .

2. Donor-acceptor interactions in the complex.

The next step is to analyze the chemical interaction between the two fragments. For that purpose, you **optimize $\text{H}_3\text{B}\cdots\text{NH}_3$ at the BP/TZ2P level of theory** (core None; relativistic correction None; numerical quality Normal) **and perform the EDA calculation based on the relaxed structure.**

The MO diagram can be visualized with ADFlevels. This MO diagram shows the interactions between fragment orbitals as the donor-acceptor interactions or the Pauli repulsion. The former one can be the interaction between e.g. the lone pair of the nitrogen (HOMO of the NH_3 fragment) and the LUMO in the BH_3 fragment, while the latter one is the repulsive interaction between occupied orbitals of NH_3 and BH_3 .



With the MO-diagram and the SFO gross populations, you will be able to analyze an orbital of the complex in terms of the fragment orbitals. Of which fragment orbitals is the HOMO-1 (5A1) of the complex composed? (Put your mouse on the energy level in adflevels)

$$\Delta E_{\text{bond}} = E_{\text{complex}} - (E_{\text{BH}_3} + E_{\text{NH}_3}) \quad (1)$$

$$\Delta E_{\text{bond}} = \Delta E_{\text{prep}} + \Delta E_{\text{int}} \quad (2)$$

$$\Delta E_{\text{int}} = \Delta V_{\text{elstat}} + \Delta E_{\text{Pauli}} + \Delta E_{\text{oi}} \quad (3)$$

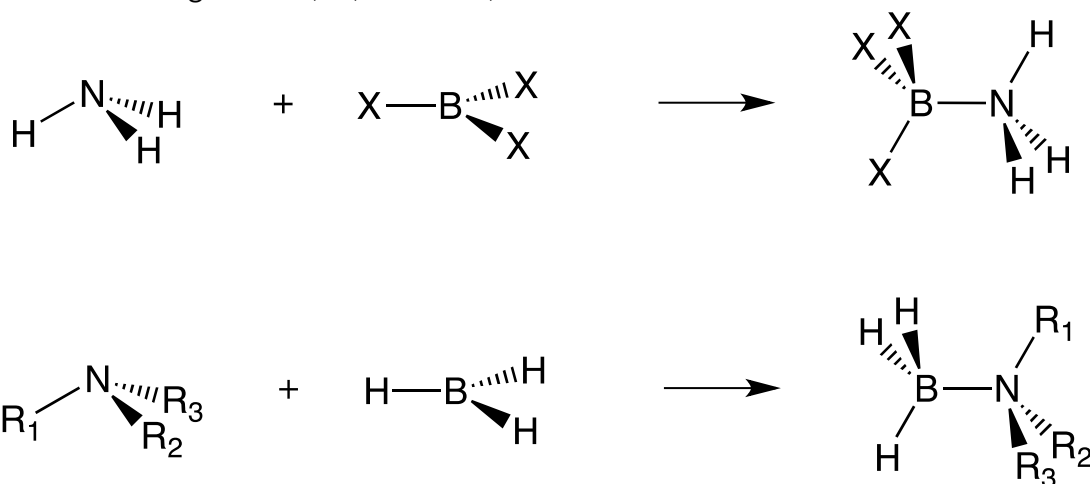
Calculate the bond energy of equation (1) and get the terms of equation (3) from the output. Take care that the "Total Bonding Energy" in the output (ADFoutput \rightarrow Properties \rightarrow Bonding Energy Decomposition) is the energy of the system with respect to fragments, i.e. it is the ΔE_{int} in equation (2) or (3). By default, the fragments are the

spherical spin-restricted neutral atoms, if other larger fragments (e.g. NH_3 , BH_3 , etc.) are not defined.

3. Tuning the Donor-acceptor interactions in the complex

The next step will be to tune the donor-acceptor interactions. **Perform for the following cases the energy decomposition analysis as in equation 2 and 3.**

The X will change from F, Cl, Br and R_1 , R_2 and R_3 can be H or CH_3 .



The following Tables have to be used for understanding the tuning.

Table 1 Energy decompositions (in kcal/mol) for BX_3NH_3

X	ΔE_{bond}	ΔE_{prep}	ΔE_{int}	ΔV_{elstat}	ΔE_{Pauli}	ΔE_{oi}	A1 LUMO of BX_3 (in eV)
F							
Cl							
Br							

Table 2 Energy decompositions (in kcal/mol) for $\text{BH}_3\text{NH}_{(3-n)}\text{CH}_3)_n$

	ΔE_{bond}	ΔE_{prep}	ΔE_{int}	ΔV_{elstat}	ΔE_{Pauli}	ΔE_{oi}	A1 HOMO of $\text{NH}_{(3-n)}(\text{CH}_3)_n$ (in eV)
$\text{R}_1=\text{CH}_3$							
$\text{R}_1=\text{R}_2=\text{CH}_3$							
$\text{R}_1=\text{R}_2=\text{R}_3=\text{CH}_3$							

Try to use the energy decomposition analysis and the level of the orbitals to rationalize your results. As you already have had the MO diagram of $\text{H}_3\text{B} \cdots \text{NH}_3$.

Hands-On Periodic Energy Decomposition Analysis (pEDA)

In this exercise we want to understand the donor-acceptor interactions between CO and the MgO(001) surface. Here, a variety of variables have to be taken into account.

The MgO(001) surface: (for example)

- Number of layers
- Size of super cell
- Number of k points for the sampling of the reciprocal space

The CO molecule: (for example)

- The coverage, which shall be defined as ratio between number of CO molecules and number of Mg surface atoms per unit cell

For sake of simplicity one shall simulate a surface with only 2 layers. To get an idea what one can learn with the pEDA, the adsorption shall be studied for different coverages: 0.5, 0.25 and 0.125. These can be represented by the adsorption of a single CO molecule on a ($\sqrt{2} \times \sqrt{2}$), a (2×2) and a ($2\sqrt{2} \times 2\sqrt{2}$) supercell. Experimental studies show that the interaction/absorption energy is coverage dependent – a lower coverage leads to a stronger bond between surface and adsorbate. Another approximation is the negligence of surface reconstruction and the assumption of orthogonal absorption of CO w. r. t. the surface on top of a Mg position ($d_{\text{Mg-C}} = 261$ pm).

Theoretical Level: PBE/TZP (small frozen core), numerical quality Basic, Kspace Grid Quality [Gammaonly|Basic|Normal|Good|VeryGood]

Tasks:

1. Converge the number of k points used to describe the reciprocal space for each surface (provided by organizers) separately. Start with 'Gammaonly' and proceed ('basic', 'normal', 'good', 'verygood') until convergence is reached. (deviation below 1% or 1 kJ/mol)

($\sqrt{2} \times \sqrt{2}$)	ΔE_{int}	ΔV_{elstat}	ΔE_{Pauli}	ΔE_{oi}
Gamma-only				
Basic				
Normal				
Good				
VeryGood				

(2×2)	ΔE_{int}	ΔV_{elstat}	ΔE_{Pauli}	ΔE_{oi}
Gamma-only				
Basic				
Normal				
Good				
VeryGood				

($2\sqrt{2} \times 2\sqrt{2}$)	ΔE_{int}	ΔV_{elstat}	ΔE_{Pauli}	ΔE_{oi}
Gamma-only				
Basic				
Normal				
Good				
VeryGood				

2. Try to rationalize the findings by looking for trends.

Super cell	ΔE_{int}	ΔV_{elstat}	ΔE_{Pauli}	ΔE_{oi}
($\sqrt{2} \times \sqrt{2}$)				
(2×2)				
($2\sqrt{2} \times 2\sqrt{2}$)				